I. List the three types of probability.
A. Classical
B. Empirical
C. Subjective
II. Place the letter of the appropriate definition, formula, or expression next to the concept it defines.

1. E
2. J
3. M
4. K
5. O
6. B 7.F
7. C 9.N 10. D
8. G
9. L
10. H
11. I 15. A
III. Identify these probability situations by placing in the space provided a C for Classical, E for Empirical, or $S$ for Subjective.
12. C
13. C
14. E
15. S
16. S
6.E 7.C
17. S 9.E
18. S
IV. The following data concerns the buying habits of people entering a retail store in relation to their gender. Please complete the chart.
V. Using the above data, draw a Venn diagram and determine, using a formula, the probability of each of these events.
A. The probability of making a sale.

$$
P(S)=\frac{S}{n}=\frac{56}{80}=.70 \rightarrow 70 \%
$$


$\tilde{s}$

| Customer Buying Habits and Gender |  |  |  |
| :---: | :---: | :---: | :---: |
| Customer Gender <br> Making a Sale | Male | Female | Totals |
| Yes | 42 | 14 | 56 |
| No | $\underline{18}$ | $\underline{6}$ | $\underline{24}$ |
| Totals | 60 | 20 | 80 |

B. The probability of a customer being female.

$$
P(F)=\frac{F}{n}=\frac{20}{80}=.25 \rightarrow 25 \%
$$


C. The probability of making a sale or a customer being male.

$$
\begin{aligned}
P(S \text { or } M) & =P(S)+P(M)-P(S \text { and } M) \\
& =P\left(\frac{56}{80}\right)+P\left(\frac{60}{80}\right)-P\left(\frac{42}{80}\right)=\frac{74}{80}=.925=92.5 \%
\end{aligned}
$$


D. The probability of making a sale or not making a sale.

$$
\begin{aligned}
P(S \text { or } \widetilde{S}) & =P(S)+P(\widetilde{S}) \\
& =P\left(\frac{56}{80}\right)+P\left(\frac{24}{80}\right)=\frac{80}{80}=1.00 \rightarrow 100 \%
\end{aligned}
$$


E. State the rule used to answer questions $C$ and $D$.

What condition is necessary to apply each rule?

1. C was done with the general rule of addition because the events are not mutually exclusive.
2. D was done with the special rule for addition because the events are mutually exclusive.
